



Rate Transient Analysis Theory/Software Course

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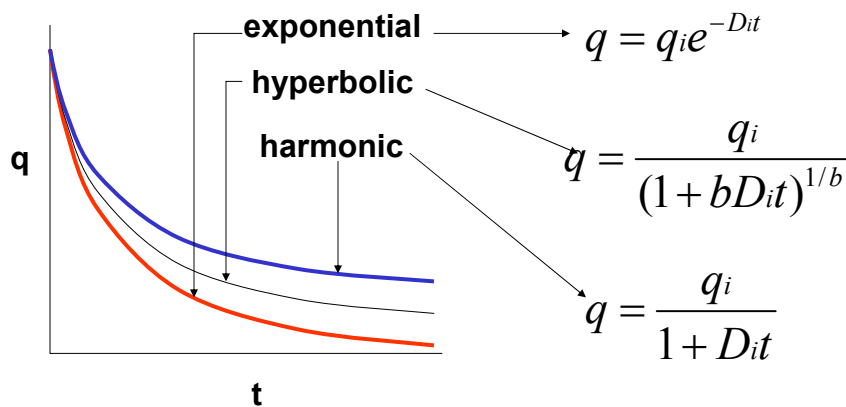
RTA Theory / Software Course: Part 1

- Introduction
- Review of Traditional Decline Analysis Techniques
 - Arps
 - Fetkovich
- Modern Decline Analysis Theory
 - Pseudo S.S. Equation for Oil
 - Significance of Harmonic Equation
 - Comparison of Constant Rate and Constant Pressure Conditions
 - Concept of Material Balance Time
 - Extending Concepts to Work for Gas Wells (Pseudo-time)
- Data Analysis Methods - Theory
 - Blasingame
 - Agarwal-Gardner
 - NPI (Normalized Pressure Integral)
 - Transient (tD format)
 - Flowing Material Balance

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Traditional Decline Analysis

Exponential, Hyperbolic and Harmonic Equations

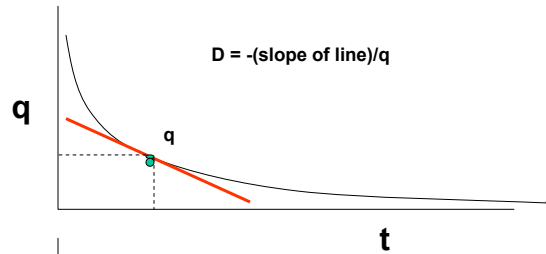


SPEE Definitions of Decline Rate

Nominal (true) Decline Rate:

$$D = -\frac{\frac{dq}{dt}}{q}$$

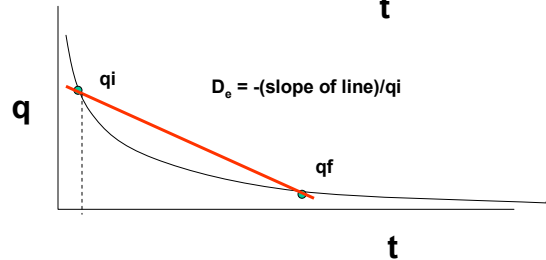
$$D = -\ln(1 - D_e)$$



Effective Decline Rate:

$$D_e = \frac{q_i - q_f}{q_i}$$

$$D_e = 1 - e^{-D}$$



In RTA, "D_e" is referred to as "d", and is expressed as a percentage

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Exponential Decline

-D (decline rate) is constant with time $D = Kq^0$

$$q = q_i e^{-D_i t}$$

$$q = q_i - D_i Q$$

Rate (q) has a linear relationship to Cumulative Production (Q)

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Hyperbolic Decline

-D (decline rate) varies with time $D = Kq^b$

$$q = \frac{q_i}{(1 + bDit)^{1/b}}$$

Linear relationship cannot easily be formed with hyperbolic parameters

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Harmonic Decline

-D (decline rate) is proportional to rate $D = Kq$

$$q = \frac{q_i}{(1 + Dit)}$$

Linear relationship between log rate (q) and cumulative (Q)

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Notes About Recovery Mechanism and b Value (from Arps)

- Single-phase liquid production, high-pressure gas, tubing-restricted gas, poor waterflood performance: $b = 0$
- Solution gas drive: $0.1 < b < 0.4$; depends on relative permeability k_{rg}/k_{ro} curves
- Production data above bubble point should not be analyzed with data below (Arps decline analysis is only valid when recovery mechanism doesn't vary with time)
- Typical gas wells: $0.4 < b < 0.5$
- Conventional oil reservoirs under edge water drive (effective water drive): $b = 0.5$
- Commingled, layered reservoirs: $0.5 < b < 1.0$
- Field experience presented by Arps suggests $0.1 < b < 0.9$
- Exponential decline appears to be a rare occurrence in nature, even though it is the most commonly used decline technique

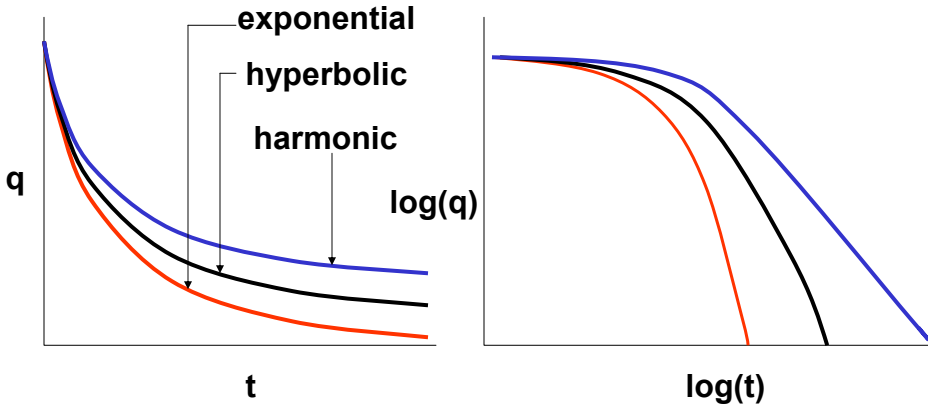
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Fetkovich Theory

- Developed because traditional decline curve analysis is only applicable when well is in **boundary dominated flow**
- Fetkovich used **analytical** flow equations to generate **typecurves** for transient flow, and combined them with **empirical** decline curve equations from Arps
- Resulting typecurves encompass entire production life of well

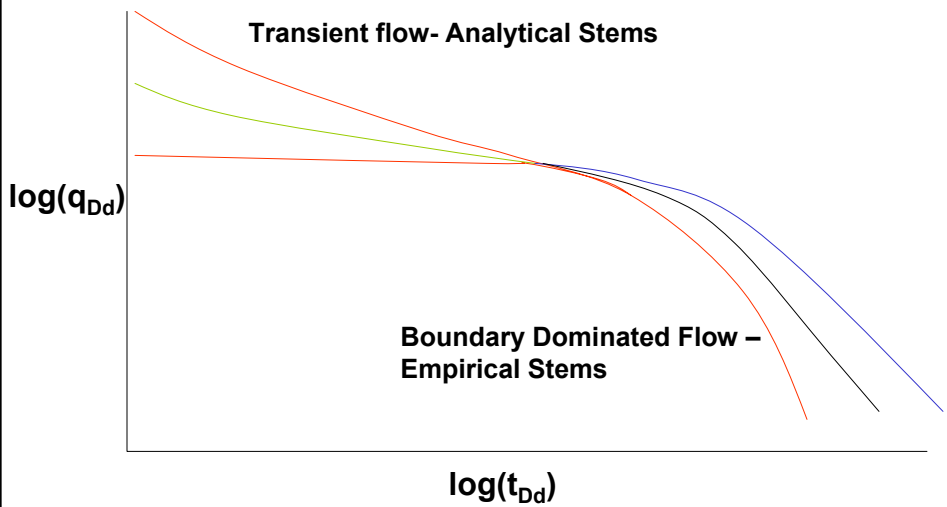
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Fetkovich Theory – Depletion Stems



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Fetkovich Theory – Boundary Dominated and Transient



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Modern Decline Analysis

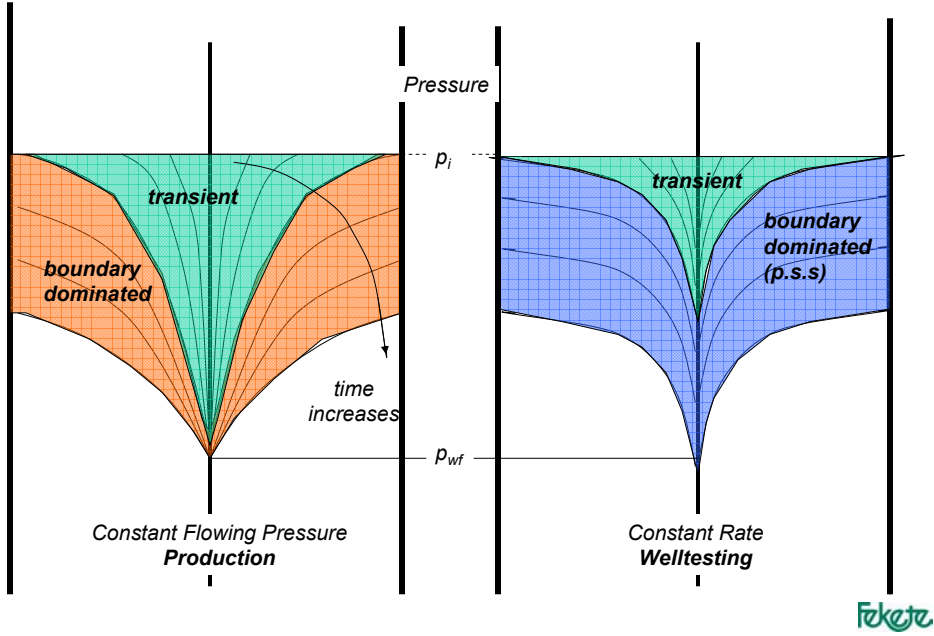


Modern Decline Analysis

- Incorporates the effect of flowing pressure
- Uses pressure transient theory
- Relies on the equivalence between the constant rate and constant pressure solutions



Equivalence of Constant Pressure and Constant Rate



Modern Decline Analysis: How to Choose a Base Model

- **Constant Pressure Model**
 - Emulates unrestricted flow to pipeline
 - Most production data behaves this way
 - Difficult to model analytically
- **Constant Rate Model**
 - Emulates deliverability restricted production
 - Common assumption of welltesting
 - Easier to model because many solutions already exist in welltest literature

Data Analysis Methods:

- Blasingame
- Agarwal Gardner
- Flowing Material Balance
- NPI
- Transient

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Blasingame Typecurve Analysis

Blasingame typecurves have identical format to those of Fetkovich. However, there are three important differences in presentation:

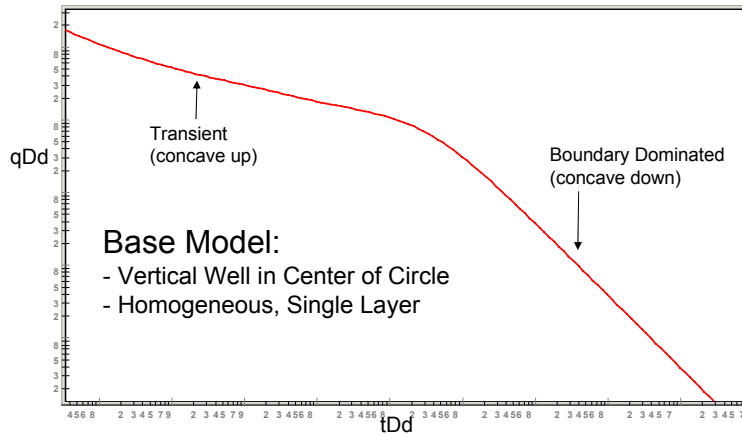
1. Models are based on constant RATE solution instead of constant pressure
2. Exponential and Hyperbolic stems are absent, only HARMONIC stem is plotted
3. Rate Integral and Rate Integral - Derivative typecurves are used (simultaneous typecurve match)

Data plotted on Blasingame typecurves makes use of MODERN DECLINE ANALYSIS methods:

- NORMALIZED RATE ($q/\Delta p$)
- MATERIAL BALANCE TIME / PSEUDO TIME

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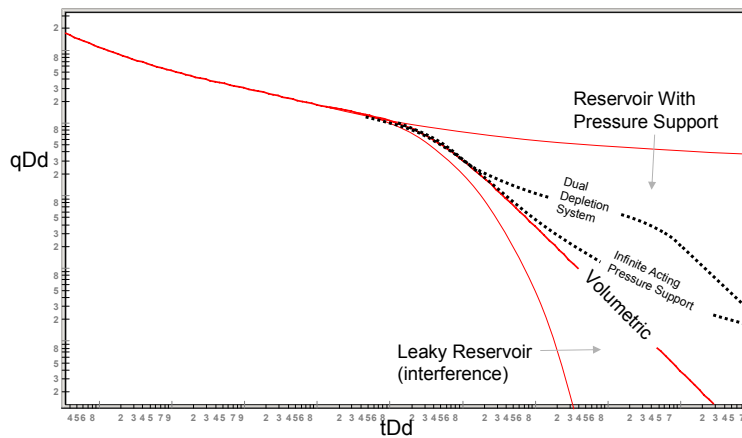
Diagnostics using Typecurves



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Diagnostics using Typecurves

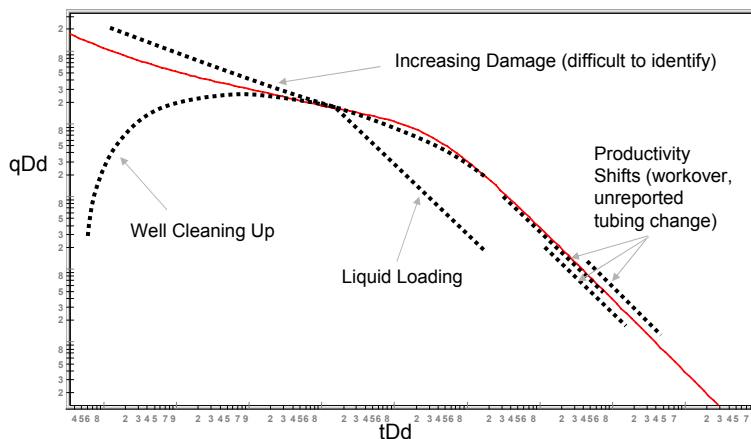
Material Balance Diagnostics



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Diagnostics using Typecurves

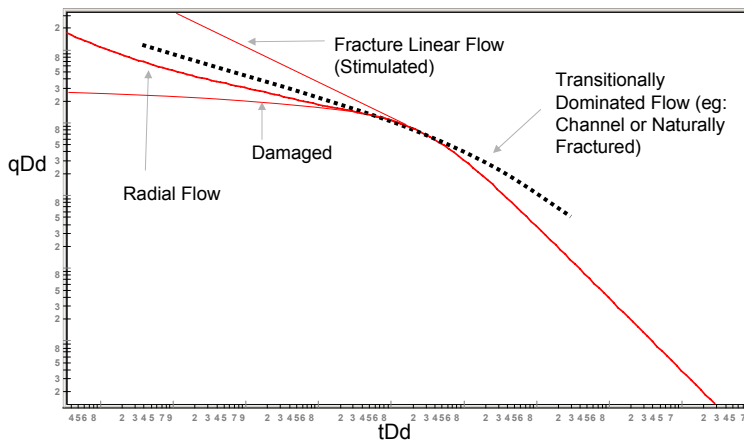
Productivity Diagnostics



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Diagnostics using Typecurves

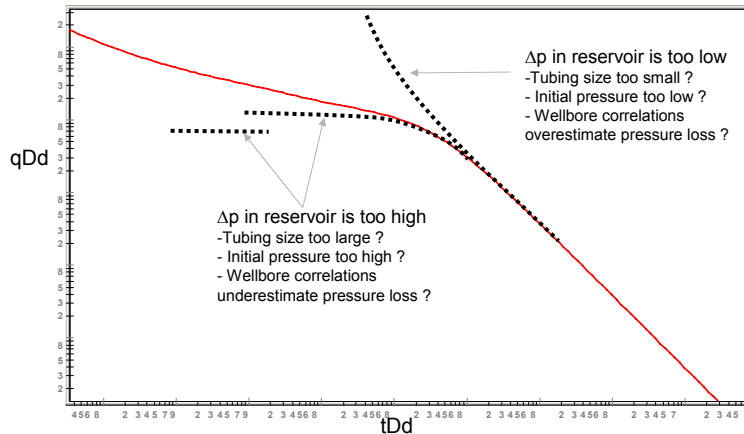
Transient Flow Diagnostics



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Diagnostics using Typecurves

“Bad Data” Diagnostics



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Flowing Material Balance

FMB analysis plots a normalized RATE versus normalized CUMULATIVE PRODUCTION, on a LINEAR scale (x and y). No typecurves are plotted.

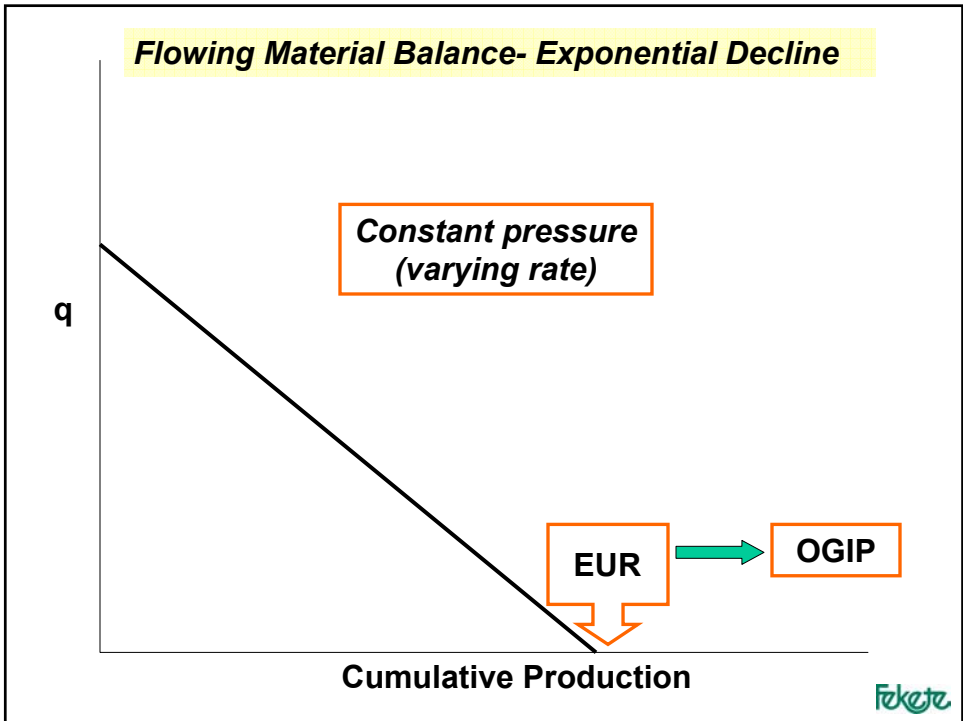
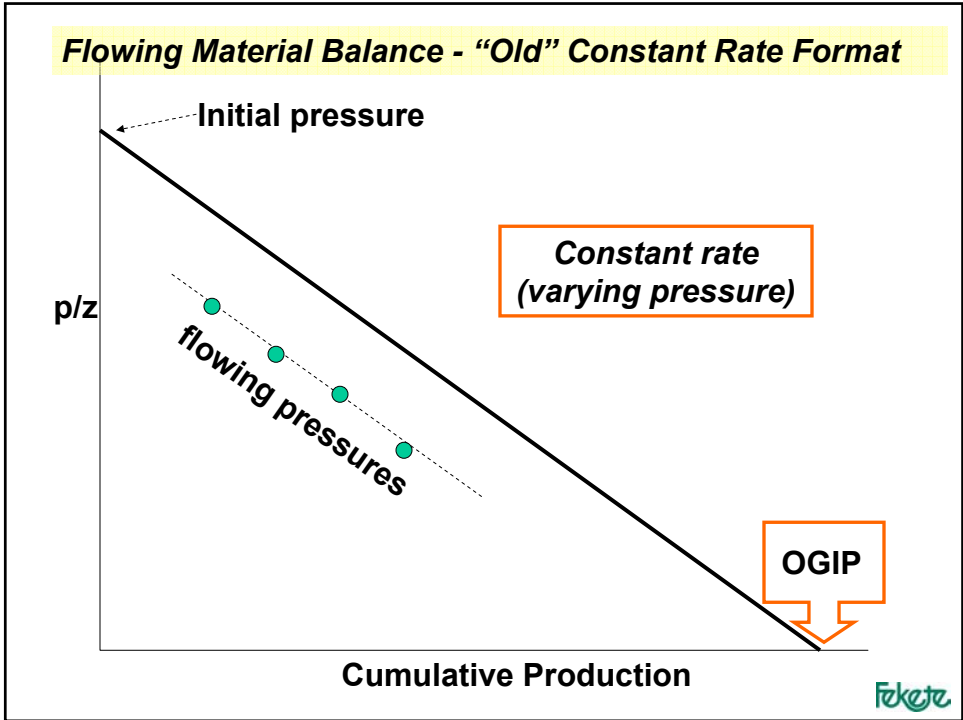
The FMB methodology combines concepts from two individual methods:

1. “Old” flowing material balance (after Mattar and McNeil)
2. Agarwal-Gardner Rate vs. Cumulative production typecurves

- The FMB plot provides an easy and effective way for estimating fluid-in-place, using data that is BOUNDARY DOMINATED

- FMB methodology utilizes the concepts of material balance time and pseudo-time.

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Agarwal-Gardner Flowing Material Balance

